## **Tender offers**

Strategic investment criteria

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| 1. Introduction to strategic investment decisions   |
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| The NPV is one of the drivers of the decision as the valuation of the target generally relies on the Discounted Cash Flows approach |
| But the investment decision relies on other criteria:   |
| □ It must be EPS accretive in order to create shareholders value  |
| □ It must be acceptable from a banking point of view  |
| These criteria enable to define the modality of the transaction:  |
| □ Cash offer  |
| □ Share offer   |
| □ Mix offer   |

□ Beyond industrial considerations, the decision is eventually based on a sensitivity analysis

## 2. Purchaser 's EPS accretion / dilution in a cash offer

 $\triangle$   $\triangle$ .Price = PER x  $\triangle$ .EPS

□ Taking into account that, under IRFS, the goodwill is no more amortized:

Share of the target's net profit

(Post tax interest expenses)

Impact of the acquisition on the acquirer's net profit=  $\Delta RN_{\Delta}$ 

- $\square$  Accretive cash tender offer if, for a 100% acquisition of the target's capital: NP<sub>T</sub> > i.V where:
  - $\square$  NP<sub>T</sub> = target's net profit
  - $\Box$  i = post tax cost of debt [ie: pretax cost of debt x (1 corporate tax rate)]
  - □ V = target value (ie: market cap. + premium)

Then:  $V/NP_T < 1/i = Cash PER$ 

Hence: Accretive Cash tender if: Target PER < Cash PER

□ EPS accretion= (EPS after– EPS before) / EPS before

The number of the acquirer's shares is unchanged. Then, with  $NP_A$  = acquirer's net profit

EPS accretion= (NP<sub>A</sub> after- NP<sub>A</sub> before) / NP<sub>A</sub> before=  $\Delta$ NP<sub>A</sub>/ NP<sub>A</sub> before

## 3. Purchaser 's EPS accretion / dilution in a share offer

- A share tender offer consists in proposing to the target's shareholders to swap their (listed) shares for the bidder's listed securities.
  - ☐ These securities generally correspond to new shares issued by the bidder
- □ The exchange parity generally includes a 20%-30% premium on the target share price
- The goodwill corresponds to the difference between:
  - the valuation of the target (ie the number of shares issued by the bidder x the last price of the bidder share)
  - □ the equity group share of the target x % purchased (ie 100% if the bidder had no interest in the target's capital before the tender offer)

NP<sub>A</sub>: Net profit of the acquirer (A) NP<sub>B</sub>: Net profit of the target (B)

 $n_A$ : Number of A shares before the tender offer

 $n_B$ : Number of B shares  $C_A$ : Price per A share  $C_B$ : Price per B share

The share offer is accretive if:  $EPS_A$  after the transaction  $> EPS_A$  before the transaction

$$\frac{NP_A + NP_B}{n_A + (\frac{C_B}{C_A}.n_B)} > \frac{NP_A}{n_A}$$

$$\frac{NP_A + NP_B}{\frac{n_A C_A + n_B C_B}{C_A}} > \frac{NP_A}{n_A}$$

$$\frac{NP_A + NP_B}{n_A c_A + n_B c_B} > \frac{NP_A}{n_A C_A}$$

$$(NP_A + NP_B) n_A C_A > NP_A (n_A C_A + n_B C_B)$$

$$n_A C_A N P_B > n_B C_B N P_A$$

$$\begin{split} \frac{n_{A}C_{A}}{NP_{A}} &> \frac{n_{B}C_{B}}{NP_{B}} \\ \frac{C_{A}}{NP_{A}} &> \frac{C_{B}}{NP_{B}} \\ \frac{n_{A}}{n_{A}} &= \frac{n_{B}}{n_{B}} \\ \frac{C_{A}}{EPS_{A}} &> \frac{C_{B}}{EPS_{B}} \end{split} \qquad \text{ie PER}_{A} > \text{PER}_{B} \end{split}$$

## 4. Banks' constraints / main covenants

| □ Gearing:           | Net debt / Equity <1              |
|----------------------|-----------------------------------|
| □ Debt coverage:     | Net debt / EBITDA < 3             |
| □ Interest coverage: | EBIT / net financial expenses > 4 |